A resource allocation framework for adaptive selection of point matching strategies for visual tracking

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# Outline of the presentation

- Active tracking with PTZ cameras
- Target registration with point matching
- Aggregation of observations for motion estimation
- Selection of points for matching
- Cost-reliability framework
- Discussion

# Visual tracking applications

• Active tracking useful for:



#### video surveillance automatic production



## Control of a Pan Tilt Zoom (PTZ) camera



#### Control of a Pan Tilt Zoom (PTZ) camera



## Point matching for target registration

- Challenge: Find displacement *d* of a target between two frames
- Technique:
	- model target with set of points
	- match points to find *d*



## Matching metric

- Comparison of two points using **matching metric**:
	- Point descriptor (e.g. patch of pixel luminance)
	- Distance metric (e.g. SoAD)



# Matching metric and distance map

- Comparison of two points -> similarity measure
- Matching reference point in search window -> distance map





• Given a set of N distance maps, what is the most probable displacement?

$$
\hat{X} = \underset{x \in \{X, \bar{X}\}}{\text{argmax}} P(d = x | dm_i(X), dm_i(\bar{X})_{|i=1...n})
$$

• Using conditional independency of observations:

$$
= \underset{x \in \{X, \bar{X}\}}{\text{argmax}} \prod_{i=1}^{N} \frac{f(dm_i(x)|d=x)}{f(dm_i(x)|d=\bar{x})}
$$



• After few developements, the most probable displacement is:

$$
\hat{X} = \underset{x \in \{X, \bar{X}\}}{\operatorname{argmin}} \sum_{i=1}^{N} \frac{\mu(D_i)}{\sigma^2(D_i)} dm_i(x)
$$

• Goal: minimize probability of wrong decision

$$
\boldsymbol{m}^* = \operatorname*{argmax}_{\boldsymbol{m} \in \mathcal{M}^N} \sum_{i=1}^N \frac{\mu_{ik}^2}{\sigma_{ik}^2} = \operatorname*{argmax}_{\boldsymbol{m} \in \mathcal{M}^N} \sum_{i=1}^N r_{ik}
$$
\nreliability criterion to optimize

• Extension to the complete distance map:

$$
\boldsymbol{m}^* = \operatorname*{argmax}_{\boldsymbol{m} \in \mathcal{M}^N} \min_{j} \sum_{i=1}^N r_{ikj}
$$

• Goal: find optimal matching metric assignment to minimize probability of error under complexity constraint

$$
\boldsymbol{m}^* = \operatorname*{argmax}_{\boldsymbol{m} \in \mathcal{M}^N} \min_{j} \sum_{i=1}^N r_{ikj}
$$

$$
\sum_{i=1}^{N} c_{ik} < C
$$

# Cost-reliability framework

- The cost-reliability optimization scheme
	- Selects the (number of) points to match
	- Selects a matching metric for each point
- The optimal solution:
	- Generates a set of complementary distance maps
	- Selects more points able to disambiguate ambiguous regions
- The framework can be used with:
	- Costly but discriminating matching metrics
	- Cheap and poorly discriminating matching metrics
	- A combination of these

• Previous tests suggested that (numerous) weaker matching strategies are the most robust (to be confirmed)

• The displacement model does not require exact point to point correpondances

• Every point helps rejecting wrong displacement hypothese

#### Tests with basic matching metrics





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• Test framework with extreme cases of complexity (low and high)

• Embed the point matching process into active tracking

• Work on higher level challenges of tracking (occlusion and deformation handling, motion blur, illumination changes, etc.) C'est fini

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